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EM Probe Design for an Electromagnetic Focusing Lens

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Abstract

This paper has provided a discussion on EM probe design for subhundredpicosecond pulses. Some preliminary experimental results and rough analytical spot size analyses are presented.

1 Introduction

Experimental setups using a 60° four-arm prolate-spheroidal IRA (PSIRA or Ψ RA) are used to obtain better focusing at the second focus of a Ψ RA for skin cancer treatment [1]. The dimensions of these experiments are based on [2-6]. Figure 1 presents the Ψ RA geometry and lens geometry. The parameters for this geometry are

$$z_p = 0, \quad a = .625 \text{ m}, \quad b = \Psi_0 = .5 \text{ m}, \quad z_0 = .375 \text{ m}, \quad (1)$$

where z_p is the z-coordinate of the truncation plane, a and b are the two radii for the prolate-spheroidal reflector and z_0 is the focal distance. The basic design considerations of a variable ϵ_r lens with constant wavelength to cross section ratio are discussed. Basic design considerations, numerical results and preliminary experimental results of this lens are discussed in [7-9]. This paper deals with a half spherical lens design with subsequent layers.

We have designed a lens with constant wavelength to cross section ratio as ϵ_r varies. Therefore r/λ is not a function of r and one can easily define

$$\begin{aligned} \epsilon_r(r) &\equiv (r_{\max}/r)^2 \quad r \geq r_0, \\ \epsilon_{r_{\max}} &\equiv (r_{\max}/r_0)^2 \quad r \leq r_0 \end{aligned} \quad (2)$$

where r is the radius of the lens, r_{\max} is the radius of the outer shell and r_0 is the constant center radius.

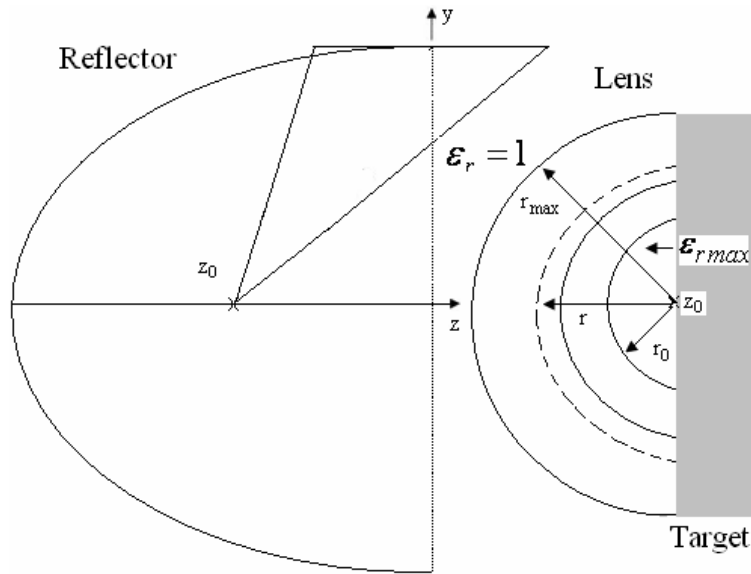


Figure 1. IRA and Lens Geometry.

2 Experiment and Probe Design

The experimental results are normalized to 1 Volt differential input and t_{mr} (maximum rate of rise) is used as t_{δ} , the rise time of the ramp rising step excitation, to compare our experimental results with analytical and numerical results. For a step like $f(t)$, the t_{mr} is

$$t_{mr} = f_{max} \left/ \frac{df}{dt} \right|_{max} . \quad (3)$$

Figure 2 presents the 60° four-feed arm Ψ RA with lens at the second focal point. The initial experiments use four essential components: a Ψ RA with feed arms, sampling-oscilloscope with a 2 mm diameter B-dot probe, pulse generator and spherical lens with five layers. The output of the step generator has a 45-ps rise time, and 10 V amplitude.

Figure 3 shows the geometry of the log periodic lens with 5 layers for $\epsilon_{rmax} = 9$, target and B-dot probe with 2 mm diameter.

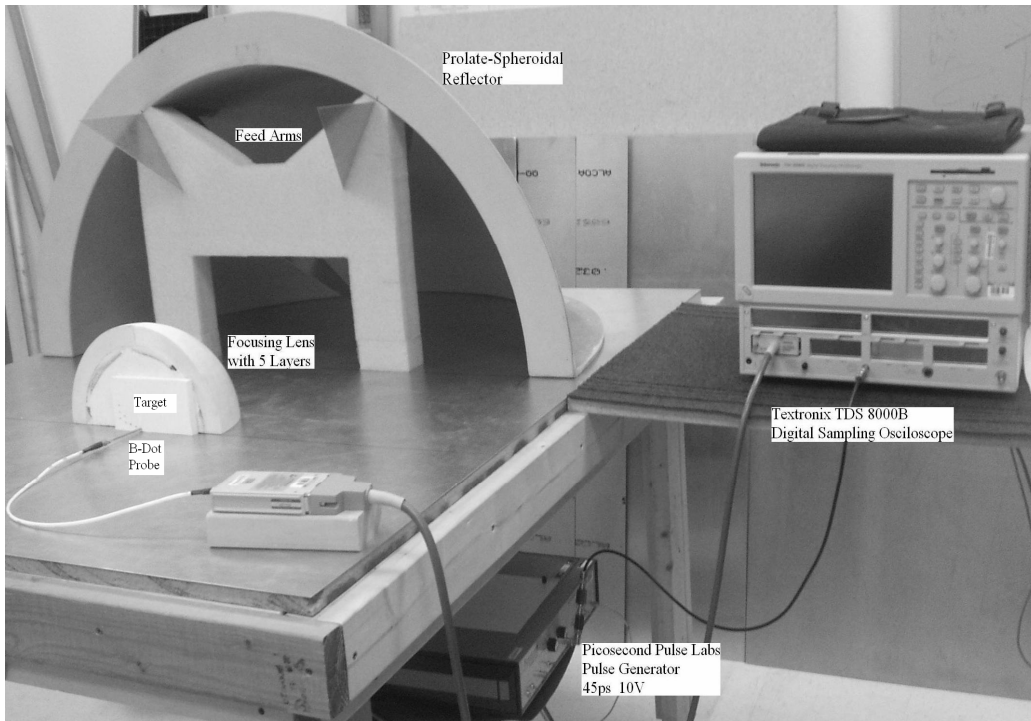


Figure 2. Experimental setup for 60° four- arms Ψ RA and lens.

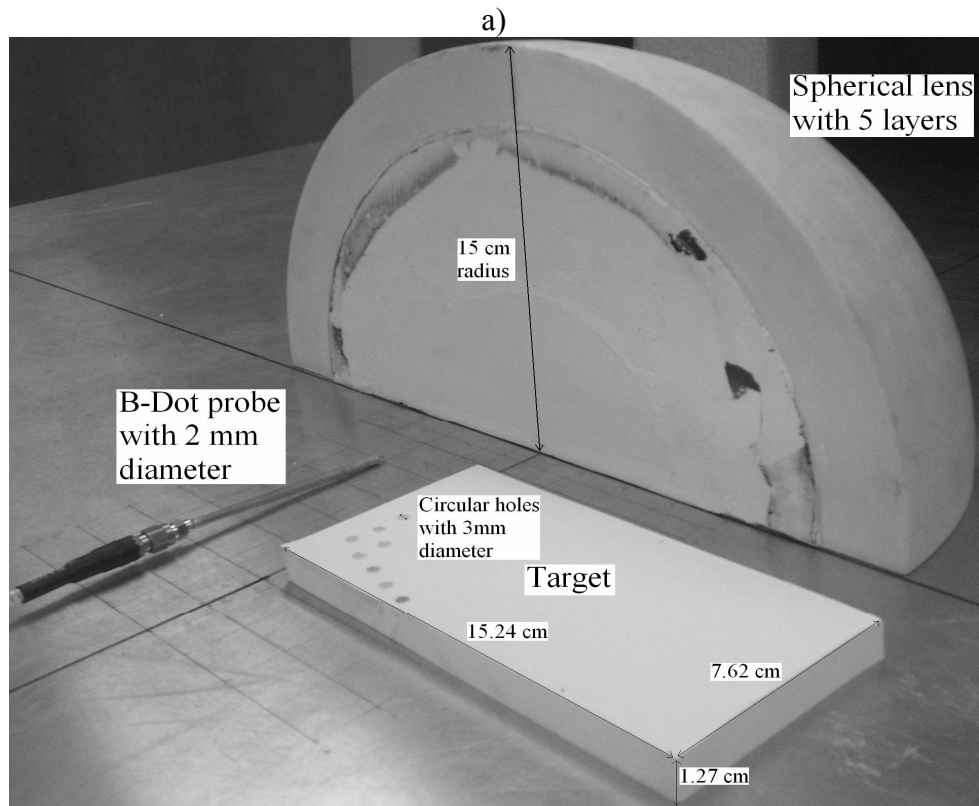
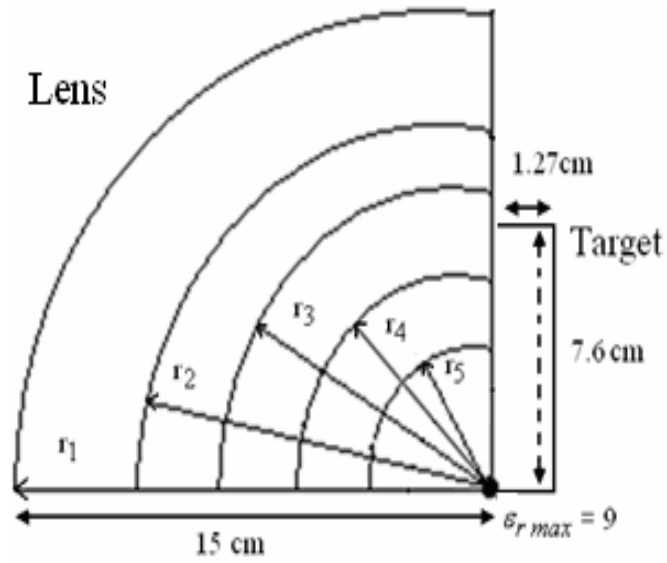


Figure 3 a) Log -periodic lens for $\epsilon_{r \max} = 9$ with 5 layers and target side-view b) spherical lens with 5 layers, B-dot probe with 2 mm diameter and target (7.62 cmX15.24 cmX1.27 cm) .

2.1 Probe Design

One of the most challenging parts of this experiment is probe design. We should design a D-dot or B-dot probes to measure the subnanosecond pulse pulse. These probes should be embedded at the second focus between lens and target. Figure 4 is devoted to the possible D-dot or B-dot probes design. The gap and wire part of the B-dot probe provide a lower inductance for B-dot probe.

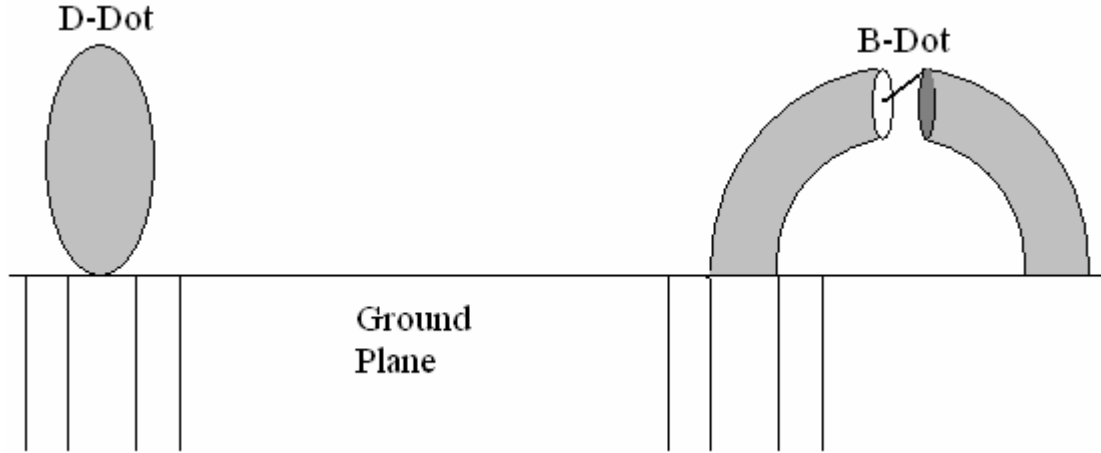


Figure 4 D-dot and B-dot probes located at the second focal point.

While designing a B-dot probe, one should satisfy

$$2L/R < t_{mr} \text{ , times of interest} \quad (4)$$

Where L is the sensor inductance and $R = 50\Omega$ is the load resistance [8]. In addition, the sensor size (transit times) should be small compared to times of interest [9].

These sensors will be embedded at the second focal point. We are planning to use a fast D-dot and B-dot probes between the lens and target. The fast D-dot probe should be contact with $\epsilon_{r \text{ target}}$ medium and the ϵ_r value should be the same through the spot size region.

2.2 Field Amplitude and Spot Size Analyses

One of the most important features of this lens is obtaining $\epsilon_{r \text{ target}}^{1/2}$ times smaller spot sizes. This will eliminate the damage on the healthy cells and provide higher-amplitude EM pulses in a smaller space and better match the wave into the target. Given that the impulse has some small width $t_\delta = 100$ ps, the maximum fields will exist in some small region around z_0 . The fast D-dot probe, however, can resolve the pulse to be

about 30 ps, which implies a three times higher field amplitude. For the larger pulse we can make a rough estimate of spot sizes as in [4]. The pulse width to define a boundary spot with respect to Ψ and z is

$$t_{\Psi} = t_z = 2t_{\delta} = 200 \text{ ps} . \quad (5)$$

Spot sizes are calculated analytically in [4] as

$$|\Delta z| = 2 [1 - z_0 / a]^{-1} ct_{\delta} = 15 \text{ cm}, \Delta\Psi = \frac{a}{b} ct_{\delta} = 3.75 \text{ cm} . \quad (6)$$

We have observed acceptable agreement with equation (6) and our preliminary experimental results. Figure 5 shows the shrinkage in the spot size along y-axis for the experimental setups with lens and without lens. One can see from figure 5 that the field amplitude is down by the half of the focal waveform amplitude at

$$y = 3.75 \text{ cm} \quad (\text{with lens}) \quad (7)$$

$$y = 3.75 / \epsilon_r t_{\text{target}}^{1/2} = 3.75 / 9^{1/2} = 1.25 \text{ cm} \quad (\text{without lens})$$

As seen from (6), if we use a faster probe, we should obtain a smaller spot size. We have used a D-dot probe which has a $t_{\text{mr}} = 30 \text{ ps}$. One can calculate the analytical spot size from (6)

$$\Delta\Psi = \frac{a}{b} ct_{\delta} \approx 1.25 \text{ cm} \quad (8)$$

Figure 6 presents the normalized E-Field amplitude variation through the y-axis for slow D-dot probe ($t_{\text{mr}} = 100 \text{ ps}$) and fast D-dot probe ($t_{\text{mr}} = 30 \text{ ps}$) which has an acceptable agreement with (8).

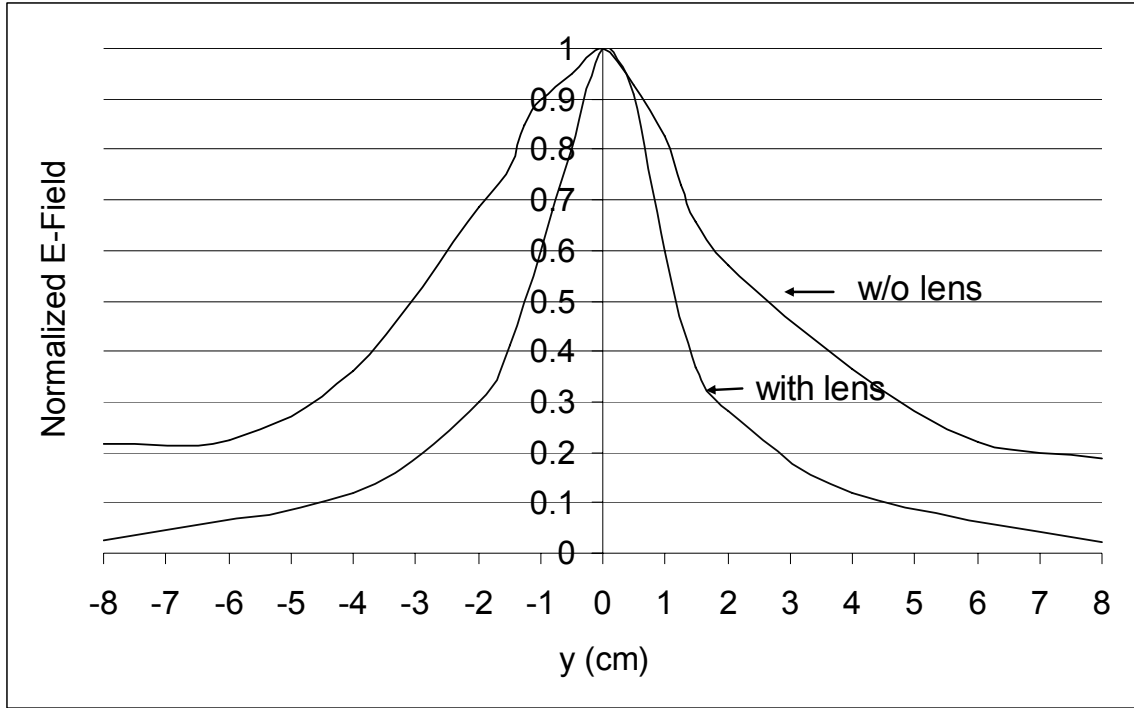


Figure 5. Shrinkage of the spot size for fast B-dot probe($t_{mr} \cong 30$ ps)

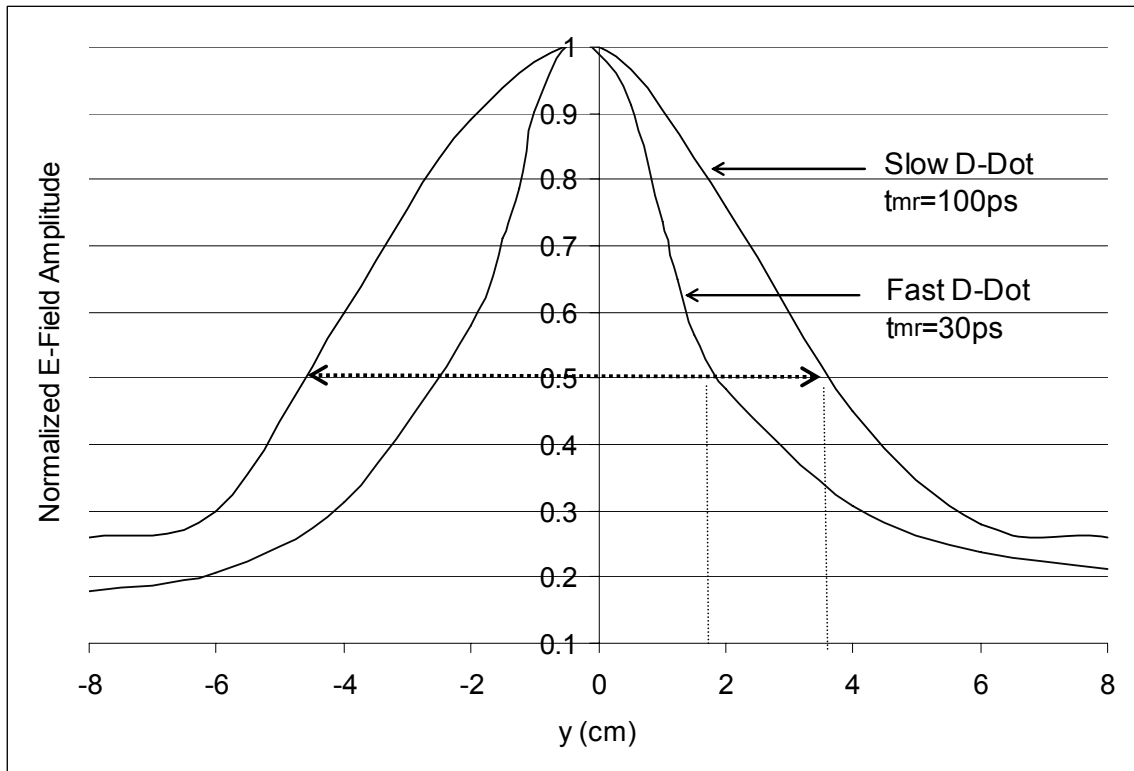


Figure 6 Normalized E-Field Amplitude variation through y-axis for slow D-dot probe($t_{mr} \cong 100$ ps) and fast D-dot probe($t_{mr} \cong 30$ ps).

Conclusion

This paper discusses a new type of a subnanosecond focusing lens for a Ψ RA which has been started to use as an noninvasive pulse delivery system for skin-cancer treatment in the near field region. This lens will reduce the damage to the tissue layers surrounding the target and skin [8]. We have discussed D-dot and B-dot probes design for subnanosecond pulses. Preliminary experimental results and analytical spot size analyses are presented.

References

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